## Addition of Decimals (NSN)

1. Add. Show all your work. Don't forget to line up the numbers according to place value!
a) $0.8+0.9$
b) $1.8+9.5$
c) $17.5+37.9$
d) $0.65+0.77$
e) $14.85+51.26$
f) $167.33+467.93$
g) $15.06+17.9$
h) $145.007+45.58$
i) $1056.4+664.087$
2. To win a prize, Maria must correctly answer a skill-testing question. Does she win if her answer is 160.5138 ?
$14.67+139.008+0.0458+6.7$

## Subtraction of Decimals (NSN)

1. Subtract. Show all your work. Don't forget to line up the numbers according to place value!
a) $0.9-0.4$
b) $4.8-3.9$
c) $17.5-8.8$
d) 10.65-4.77
e) $51.85-30.09$
f) $167.33-9.97$
g) $25.06-15.008$
h) 145.007-49.58
i) 1 056.4-664.087
2. To win a prize, John must correctly answer a skill-testing question. Does he win the prize if he answers 111.733 ?
139.8-12.04-16.027

## Relationship Between Fractions and Decimals ('NSN

1. Remember that a fraction is a division! Convert each of these fractions into decimals.
a) $27 / 100$
b) $7 / 10$
c) $5 / 8$
d) $234 / 1000$
e) $5 / 100$
f) $89 / 1000$
g) $12 / 10$
h) $13 / 50$
h) $5 / 11$
i) $5 / 12$
k) $1 / 6$
I) $9 / 16$
m) $0 / 85$
n) $7 / 7$
o) $15 / 12$
p) $16 / 11$
2. Convert the following decimals into fractions or mixed number fractions. Reading the fraction out loud using place value will help you build your fractions!
a) 0.7
b) 0.67
c) 0.4
d) 0.40
e) 0.66
f) 0.76
g) 1.5
h) 3.3
i) 5.09
j) 0.008
k) 0.282
I) 5.555

## Comparing \& Ordering Decimal Numbers (*NSN)

1. Inside each box, insert either the "less than $\operatorname{sign"~(<),~"greater~than~sign"~(>)~or~an~"equal~}$ sign" (=).
a) $2.5 \square 2.6$
b) $4.15 \square 4.14$
c) $22.45 \square 22.49$
d) 48.125 48.152
e) $2.5 \square 2.05$
f) $4.45 \square 4.4$
g) 102.05 102.50
h) 82.125 $\qquad$ 82.215
i) $0.9 \square 9.0$
ј) $40.51 \square 40.501$
k) $1.879 \square 1.978$
I) $7.08 \square 7.008$
m) $0.5454 \square 0.5545$
n) $202 \square 220.6$
o) $14.754 \square 14.76$
2. Convert fractions into decimals first. Then, place inside each box, insert either the "less than sign" (<), "greater than sign" (>) or an "equal sign" (=).
a) $0.5 \square$ 1/2
b) 0.15$1 / 10$
c) $42 / 10$ $\qquad$ 4.02
d) $8.125 \square 8 / 1000$
e) $11 / 4 \square 2.57$
f) $17 / 4 \square 4.2$
g) $2.05 \square$ 205/1000
h) $0.125 \square 12 / 100$
i) $90 / 10 \square 9.0$
j) $4.51 \square$ 22/5
k) $0.022 \square$ 202/1000
I) $0.08 \square 80 / 900$
m) $1.52 \square 5 / 4$
n) 2.16$13 / 6$
o) $5 / 8 \square 0 . \overline{5}$
p) $9 / 11$ 81/100
3. List the values from greatest to least:
a) $5.05 \quad 105 / 20$
$5.5 \quad 5.005$
b) $0.7 \quad 0.707 \quad 0.07$
7.7 77/100
c) $1.14 \quad 4.1 \quad 1.04 \quad 14 / 10 \quad 4.01$
d) $33.05 \quad 33.005 \quad 67 / 2 \quad 330.5$
33.55

## Multiplying Decímal Numbers (NSN)

1. Multiply. Show your work!
a) $18 \times 3$
b) $1.8 \times 3$
c) $18.06 \times 3$
d) $0.57 \times 4$
e) $12.44 \times 5$
f) $156.554 \times 6$
g) $123.87 \times 7$
h) $0.58 \times 8$
i) $1.008 \times 9$
2. Find the product of 45.88 and 6 :
3. Melinda worked an 8 hour shift at McZonalds's last night. Her hourly rate is $\$ 10.83$ per hour. How much did she make for her shift?

## Dividing Decimal Numbers (NSN)

1. Divide. Show your work!
a) $504 \div 6$
b) $50.4 \div 6$
c) $5.04 \div 6$
d) $7.2 \div 9$

Remember: A fraction is a division!
e) $17.15 / 7$
f) $2.736 \div 3$
g) $0.048 \div 4$
h) $1002.028 \div 2$
i) $10034.4 \div 8$
2. Eight piled-up novels measure 27.6 cm . How thick is each novel? Show your work.
3. If a car travelled 409.36 km in 4 hours, what was its average speed (how many KMs in one hour?)

## Application Questions Involving Decimals (*NSN)

1. There are 102 students in the school. If 58 are boys, write a decimal for the part of the school that consists of:
a) Boys:
b) Girls:
c) Both boys and girls
2. It takes Julie eight thousandths of a second for her brain to register the color red on a computer screen. Write this number as a decimal.
3. Five sprinters are entered into a competition for the 100 m dash. Four of the sprinters had their turns. Their scores are:

R\#1: 49/5 s R\#2: Double of $4.875 \mathrm{~s} \quad$ R\#3: A third of 29.43s
R\#4: 9.79s How fast must the last runner be in order to win the competition?
4. Marco wants to buy the following items: A pair of jeans for $\$ 49.95$, a belt foe $\$ 19.95$ and a t-shirt for $\$ 21.95$. Does he have enough money to buy all three items with $\$ 90$ ?
5. What is the combined length of the following wood pieces? Pay close attention to the units of measure!
$\begin{array}{lllllll}0.008 \mathrm{~m} & 0.125 \mathrm{~m} & 0.8 \mathrm{~cm} & 0.15 \mathrm{~m} & 0.185 \mathrm{~m} & 0.005 \mathrm{~m} & 45 \mathrm{~cm}\end{array}$

## Application Questions Involving Decímals (*NSN)

6. Carefully measure the width of the teacher's desk top, to the nearest cm . If we were to line up 9 such desks side-by-side, what would be their combined length?
7. Once fully stretched, a bungee cord expands four times its original length. If a completely stretched bungee cord measures 50.6 m , what is its original length?
8. Marty goes to the grocery store with $\$ 20$. He buys 3 identical frozen pizzas. He gives the cashier his $\$ 20$ bill and she gives him $\$ 2.66$ in change. How much was each pizza?
9. If we cut 0.45 m off a piece of rope measuring 7.4 m , what would be the combined length of fifteen of these cut/shortened ropes?
10. Jody's Dad makes up a riddle. He says that he will give her $\$ 5$ if she can accurately multiply the difference between 10.4 and 7.76 by eight. Jody's answer is " 21.12 ". Does she get $\$ 5$ ?

11. Solve using $B$ E $\quad \begin{gathered}A \\ S\end{gathered}$. Use the pre-set number of lines, as taught in class!
a) $100-25 \div 5$
b) $5+3 \times 2$
c) $4+8 \div 4$
$=$
$=$
d) $10 \div(8-3)$
e) $2+20 \div(8-3)$
f) $5 \times 4 \div 2$
$=$
$=$ =
$=$
$=$
$=$
$=$
g) $5 \times 8 \div 4$
h) $8 \times 9-30 \div 5$
i) $7-2+8 \cdot 2$
$=$
$=$ =
$=$ = =
$=$ =
j) $49+8 \div 8+49$
k) $3 \times 4-(2+6)$
I) $56 \div 8+4 \cdot 2$
$=$
$=$
$=$
$=$
$=$

## Order of Operations

1. Solve using B E $\mathrm{MD}_{\mathrm{A}}^{\mathrm{A}} \mathrm{S}$. Use the pre-set number of lines, as taught in class!

| a) $19+7 \times 2+10$ | b) $36 \div(3 \times 3)+4$ | c) $144 \div 12-8+15$ |
| :---: | :---: | :---: |
| $=$ | $=$ | $=$ |
| $=$ | $=$ | $=$ |
| $=$ | $=$ | $=$ |
| d) $23+15-9 \cdot 3$ | e) $12 \times 8 \div 4$ | f) $8-4-2+6$ |
| $=$ | $=$ | $=$ |
| = | $=$ | $=$ |
| $=$ |  | $=$ |
| g) $15-2(6-5)$ | h) $18-2 \cdot 9+15$ | i) $50-8 \times 4 \div 2+5$ |
| = | $=$ | $=$ |
| = | = | $=$ |
| = | $=$ | $=$ |
|  |  | $=$ |
| j) $7(9-5)+6$ | k) $3+0 \times 5+14$ | I) $46 \times 2-15 \times 2$ |
| = | = | = |
| = | = | = |
| = | = | $=$ |
| m) $6 \times 5 \div 2 \times 5$ | n) $28 \div 4+3 \times 8-6$ | o) $36 \div 12+(3+2 \cdot 4)$ |
| $=$ | = | = |
| = | = | = |
| = | = | = |
|  | = | = |



1. Solve using B E $\mathrm{M} \quad \begin{aligned} & \text { A } \\ & \mathrm{S}\end{aligned}$. Use the preset number of lines, as taught in class:
a) $\quad 4.2-1.5 \times 1.4$
b) $7-6.4+8.4$
c) $3.6 \div(4.1-2.9)$
d) $5(4.2+8)$
e) $\quad 5 \times 4.2+8$
f) $36 \div 2.4 \times 3$
g) $36 \div(2.4 \times 3)$
h) $2.7+4.7-(7.8 \div 5.2+2.8)$
i) $0.8 \div(4.5 \div 9)+6.5 \times 10$
j) $\quad(7.1+7.6-6.8 \div 4) \times 9$
k) $\quad 5[10.3 \times 4-(3.5 \div 7+6.5) \times 2]$

## Powers/Exponents (*NSN)

1. Fill in the missing information:
a) $6^{5}=6 x$ $\qquad$
b) $\qquad$ $=2 \times 2 \times 2 \times 2 \times 2 \times 2 \times 2$
c) $7^{4}=7 \times 7$ $\qquad$
d) $\qquad$ $=3 \cdot 3$
e) $3^{6}=3$. $\qquad$
f) Nine squared: $9 x$ $\qquad$
g) Five cubed $=5 x$ $\qquad$
h) $7^{0}=$ $\qquad$
2. Step 1: Write as a repeated multiplication. Step 2: Express your answer in standard form. The first one is done for you.
a) $6^{2}=6 \times 6=36$
b) $4^{5}=$ $\qquad$
c) $2^{4}=$ $\qquad$ d) $10^{3}=$ $\qquad$
e) Eight cubed = $\qquad$ f) Four squared = $\qquad$
g) Five to the seventh power: $\qquad$
h) $6^{0}=$ $\qquad$ i) $3^{4}=$ $\qquad$
j) $1^{100}=$ $\qquad$
3. Write each in two different word form. The first one is done for you.
a) $6^{5} \rightarrow$
Six to the power of five
Six to the fifth power
b) $3^{2} \rightarrow$ $\qquad$
$\qquad$
c) $9^{3} \rightarrow$ $\qquad$
$\qquad$
d) $2^{4} \rightarrow$ $\qquad$
$\qquad$
e) $8^{0} \rightarrow$ $\qquad$
4. True or false? Apart from 0 , any number to the power of zero is equal to " 1 ": $\qquad$
5. In the power " 7 "", seven is called the $\qquad$ and five is called the $\qquad$ .

## Powers/Exponents (*NSN)

1. What is the value of " $b$ " in each of the following?
a) $49=7^{b}$
b) $64=4^{b}$
c) $1=10^{b}$
d) $100=10^{b}$
e) $4096=8^{b}$
f) $32=2^{b}$
g) $10000=10^{b}$
h) $3125=5^{b}$
i) $81=3^{b}$
2. Write the standard value of each power. Then with each pair, circle the expression with the largest value.
a) $6^{2} \quad \mathrm{OR} \quad 2^{6}$
b) $5^{3}$ OR $12^{2}$
c) $3^{6}$ OR $6^{3}$
d) $3^{2}$ OR $2^{3}$
e) $4^{2} O R \quad 2^{4}$
f) $(8-4)^{2} O R, \quad 2^{8}$
g) $7^{2} \quad O R \quad 2^{3}$
h) $10^{3}$ OR $3^{10}$
i) $11^{0} \mathrm{OR} \quad 0^{11}$
3. Complete the following table:

| Exponential <br> Form | Base | Exponent | Word Form | Factored Form | Standard <br> Form |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $3^{4}$ |  |  |  |  |  |
|  | 2 | 3 |  |  |  |
|  |  |  | Nine Cubed |  |  |
|  |  |  |  | $5 \cdot 5 \cdot 5 \cdot 5 \cdot 5$ |  |
|  |  |  |  |  | 64 |

4. A square has base and height of 5 cm . Calculate its area (Area $=B \times H$ ). What do you notice about the unit of measure? How does it relate to the topic of powers/exponents?

## Square Roots (NSN)

1. When we square a whole number, the answer is a perfect square. For example:
$3 \times 3=9$ " 9 " is a perfect square
List the first twelve perfect squares: $\qquad$
2. What is the square root of each of the following perfect square values? Do not use a calculator to find the answer. The first one is done for you.
a) $\sqrt{\mathbf{4 9}}=\ldots 7$
b) $\sqrt{4}=$ $\qquad$ c) $\sqrt{\mathbf{8 1}}=$ $\qquad$ (because $7 \times 7=7^{2}=49$ )
d) $\sqrt{\mathbf{1 2 1}}=$ $\qquad$
e) $\sqrt{1}=$ $\qquad$
f) $\sqrt{16}=$ $\qquad$
g) $\sqrt{25}=$ $\qquad$
h) $\sqrt{\mathbf{1 4 4}}=$ $\qquad$
i) $\sqrt{9}=$ $\qquad$
j) $\sqrt{\mathbf{3 6}}=$ $\qquad$
k) $\sqrt{64}=$ $\qquad$
1) $\sqrt{\mathbf{1 0 0}}=$ $\qquad$
3. From the following list, circle the values that are perfect squares.

| 121 | 10 | 1 | 225 | 100 | 12 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 15 | 1000 | 80 | 64 | 10000 | 81 |

4. If we square root non perfect-squares, the answer will be a decimal. Using your calculator, find the square roots of the following values. Round to the nearest tenths.
a) $\sqrt{\mathbf{1 0}}=$
b) $\sqrt{27}=$
c) $\sqrt{\mathbf{4 1}}=$
d) $\sqrt{\mathbf{5 0}}=$
e) $\sqrt{\mathbf{7 5}}=$
f) $\sqrt{99}=$

## Ordering \& Subtracting $\left.\right|_{\text {ntegers }}$ (NSN

1. Inside each box, insert either the "less than sign" (<), "greater than sign" (>) or an "equal sign" (=).
a) $(+6)$(+7)
b) $(+4)$ $\square(+3)$
c) $(-4) \square(+4)$
d) (-4) $\square(-3)$
e) $(+6)$ $\qquad$ f) (+4) $\square$ (-3)
g) (-3) $\square(+3)$
h) (-3) $\square_{(-4)}$
i) $(-6) \square(-7)$
j) $(-10) \square$
k) (-15) $\square_{(-13)}$
I) $(+14) \square(+13)$
m) (-2) $\square$ (0)
n) $(-1)$(-2)
o) (-7) $\square$ (-4)
p) $(+5) \square(-1)$
q) $(-6) \square(-5)$
r) (-10) $\square$ (-10)
s) $(-11)$
 (-12)
t) $(+15) \square$ (-13)
u) (-1) $\square(-2)$
v) $(-11)$ $\square$ (-22)
w) $(-17) \square(-14)$
x) $(-100)$ $\square$ (-110)
2. List the values from greatest to least:
a) $\begin{array}{lllll}-3 & -5 & +3 & +5 & -1:\end{array}$ $\qquad$
b) $\begin{array}{lllll}-11 & -4 & +5 & +6 & 0\end{array}$ $\qquad$
c) $\begin{array}{llllll}-6 & -7 & -9 & -8 & -5:\end{array}$ $\qquad$
d) $+3 \quad+5 \quad-1 \quad 0 \quad-11:$ $\qquad$
e) $\quad-212 \quad-240 \quad-135 \quad-189 \quad-55$ :
3. Circle the greater value for each pair of integers:
a) $+5 \mathrm{OR}+6$
b) $-5 \mathrm{OR}-6$
c) $-9 \mathrm{OR}+9$
d) 0 OR - 1
e) $-3 \quad O R-4$
f) $+7 \mathrm{OR}+6$
g) -130 OR - 128
h) -214 OR - 241
4. Write 5 integers that are:
a) Greater than -10: $\qquad$
b) Lesser than -6:

## Adding \& Subtracting Integers (:NSN)

1. Find the sum or difference:

| 1. $(+4)+(+2)=$ | 23. (-3) + (-2) | 45. (-7) - (+3) |
| :---: | :---: | :---: |
| 2. $(-5)+(+5)=$ | 24. (+9) + (+4) | 46. (-8) - (+7) |
| 3. $(0)+(-3)=$ | 25. $(+1)+(-6)$ | 47. (-4) - (-9) |
| 4. $(-7)+(-2)=$ | 26. $(+6)+(-11)=$ | 48. (-9) - (+3) |
| 5. $(-7)+(-5)=$ | 27. (-5) + (-6) | 49. (-4) - (-15) |
| 6. $(-8)+(-4)=$ | 28. $(+25)+(-14)=$ | 50. (+2) - (-3) |
| 7. $(+19)+(0)=$ | 29. (-17) + (-9) | 51. (-1) - (+4) |
| 8. $(+7)+(+3)=$ | 30. $(+14)+(+6)=$ | 52. $(-18)-(+23)=$ |
| 9. $(+4)+(-4)=$ | 31. $(+3)+(-21)=$ | 53. $(+19)-(-12)=$ |
| 10. $(-8)+(-6)=$ | 32. $(+8)+(+13)=$ | 54. (0) - (-14) |
| 11. $(-9)+(-3)=$ | 33. $(-13)+(+16)=$ | 55. (-6) - (-6) |
| 12. $(-5)+(+3)=$ | 34. (+5)-(-2) | 56. (-7) - (-8) |
| 13. $(-8)+(+9)=$ | 35. (-8) - (+8) | 57. (-3)-(-15) |
| 14. $(-2)+(-2)=$ | 36. (+3) - (-5) | 58. (+5) - (-9) |
| 15. $(-4)+(-7)=$ | 37. (-9) - (+9) | 59. (-8) - (+3) |
| 16. $(+8)+(+6)=$ | 38. $(-15)-(-14)=$ | 60. (-10) - (+2) |
| 17. $(-2)+(-8)=$ | 39. (0) - (0) | 61. (-4)-(-9) |
| 18. $(-7)+(-5)=$ | 40. (-8) - (-3) | 62. (-9)-(-13) |
| 19. $(+2)+(+9)=$ | 41. (+3) - (-14) | 63. (+4)-(-8) |
| 20. $(-7)+(-4)=$ | 42. (-9) -(-2) | 64. (-15) - (+5) |
| 21. $(-6)+(+6)=$ | 43. $(+7)-(-2)$ | 65. (-8) - (-6) |
| 22. $(+4)+(+7)=$ | 44. $(-17)-(-18)=$ | 66. (-4)-(-4) |

## Adding \& Subtracting $\mid$ ntegers using BEDMAS ${ }_{\text {©NSN }}$

a) $(-5)-(-3)+(-5)$
b) $(+3)+(-3)-(-5)$
c) $(-4)-(-6)-(+8)$
d) $(+6)-(-8)+(-2)$
e) $(-11)-(-5)+(-4)$
f) $(+2)+(+8)-(-9)$
g) $(-12)-(-2)+(-9)$
h) $(-3)-(+7)-(-15)$
i) $(-4)-(-11)+(+8)$
j) $(+4)-(-6)+(-5)-(-2)$
k) $(-3)-(-4)-(+8)+(+10)$
I) $(-8)-(-3)+(-5)+(+9)$
m) $(-5)+(+7)-(-5)-(+3)$
n) $(+3)-(-1)-(-6)+(+3)$
o) $(-8)+(+9)+(-7)+(-4)$
p) $(-4)+(+5)-(-6)-(+1)+(-6)+(-3)$
q) $(+3)-(+4)-(+6)-(-10)+(-6)$
r) $(-3)-(-6)-(+7)-(-8)+(-6)-(-2)-(-5)$
s) $(-2)-(+3)-(+2)+(-7)+(-5)-(-7)$

## Adding \& Subtracting Integers With Bracket Missing on $2^{\text {nd }}$ Integer (NSN)

1. Solve:
a) $(+5)-6=$ $\qquad$
b) $(+5)+9=$ $\qquad$
c) $(+5)-7=$ $\qquad$
d) $(-6)-6=$ $\qquad$
e) $(-7)+9=$ $\qquad$
f) $(+9)-1=$ $\qquad$
g) $(+1)-9=$ $\qquad$ h) $(+2)+2=$ $\qquad$ i) $(-5)-6=$ $\qquad$
j) $(0)-7=$ $\qquad$
k) $(-8)+4=$ $\qquad$
I) $(+8)-1=$ $\qquad$
m) $(+5)-0=$ $\qquad$
n) $(+8)-3=$ $\qquad$
o) $(+1)-9=$ $\qquad$
p) $(-2)-2=$ $\qquad$
q) $(-7)+7=$ $\qquad$
r) $(-9)-5=$ $\qquad$
t) $(-5)-9=$ $\qquad$
u) $(+6)+10=$ $\qquad$
v) $(+4)-4=$ $\qquad$
w) $(-3)-7=$ $\qquad$
x) $(-7)+0=$ $\qquad$
y) $(-8)-5=$ $\qquad$
z) $(-4)-6=$ $\qquad$
aa) $(-4)+9=$ $\qquad$
bb) $(+5)+7=$
$\qquad$
cc) $(-1)-1=$ $\qquad$
dd) $(-8)+9=$ $\qquad$
ee) $(+3)-3=$ $\qquad$
ff) $(0)-0=$ $\qquad$
gg) $(+14)+9=$ $\qquad$
hh) $(-15)-7=$ $\qquad$

## Adding \& Subtracting $\mid$ ntegers with Brackets Missing on $1^{\text {st }} \mid$ nteger (NSN)

1. Solve:
a) $+5-(-6)=$ $\qquad$
b) $5+(+9)=$ $\qquad$
c) $+3-(+7)=$ $\qquad$
d) $-6-(+6)=$ $\qquad$
e) $-7+(-4)=$ $\qquad$
f) $9-(-5)=$ $\qquad$
g) $1-(+7)=$ $\qquad$
h) $+2+(-3)=$
i) $-5-(+5)=$ $\qquad$
j) $0-(+7)=$ $\qquad$
k) $-8+(-4)=$ $\qquad$
I) $8-(-1)=$ $\qquad$
m) $5-(-5)=$ $\qquad$
n) $+8-(-5)=$ $\qquad$
o) $+1-(+5)=$ $\qquad$
p) $-2-(-4)=$ $\qquad$
q) $-7+(-5)=$ $\qquad$
r) $-9-(-5)=$ $\qquad$
t) $-5-(+6)=$ $\qquad$
u) $+6+(+10)=$ $\qquad$
v) $4-(-4)=$ $\qquad$
w) $-3-(-7)=$ $\qquad$
x) $-7+(-3)=$ $\qquad$
y) $7-(-5)=$ $\qquad$
z) $-4-(+6)=$ $\qquad$
aa) $4+(-9)=$ $\qquad$
bb) $+5+(-7)=$ $\qquad$
cc) $-1-(-1)=$ $\qquad$
dd) $-8+(+9)=$ $\qquad$
ee) $3-(-3)=$ $\qquad$
ff) $0-(-6)=$ $\qquad$
gg) $14+(-4)=$ $\qquad$
hh) $-15-(-7)=$ $\qquad$

## Adding \& Subtracting Integers With No Bracket (NSN)

1. Solve:
a) $+5-6=$ $\qquad$
b) $-5+9=$ $\qquad$
c) $3-7=$ $\qquad$
d) $-6+6=$ $\qquad$ e) $-8+4=$ $\qquad$ f) $3-5=$ $\qquad$
g) $-1-7=$ $\qquad$
h) $+2-4=$ $\qquad$
i) $-5+5=$ $\qquad$
j) $0-7=$ $\qquad$
k) $-8+4=$ $\qquad$
I) $8-1=$ $\qquad$
m) $5-5=$ $\qquad$
n) $+8+5=$ $\qquad$
o) $+1-5=$ $\qquad$
p) $-2-4=$ $\qquad$
q) $-7-5=$ $\qquad$
r) $-9+5=$ $\qquad$
t) $-5+6=$ $\qquad$
u) $+6+10=$ $\qquad$
v) $4+5=$ $\qquad$
w) $-3-7=$ $\qquad$
x) $-7+3=$ $\qquad$
y) $-7-5=$ $\qquad$
z) $-4+6=$ $\qquad$
cc) $-1+18=$ $\qquad$
aa) $4-15=$ $\qquad$
bb) $-5+16=$ $\qquad$
dd) $-8-16=$ $\qquad$
ee) $3-3=$ $\qquad$
ff) $0-15=$ $\qquad$
gg) $-14+30=$ $\qquad$
hh) $-15-17=$

## Adding \& Subtracting Integers using BEDMAS and Various Bracket Placement ©NSN

1. Solve:
a) $-5-4+(-5)$
b) $(+13)+3-5$
c) $-4-6-6$
d) $6-(-8)+2$
e) $-11-5+(-4)$
f) $+2+8-(-9)$
g) $-12-2+9$
h) $-3-7-(-19)$
i) $-4-13+8$
j) $+4-(-7)+5-(-12)$
k) $(-3)-4-(+3)+10$
I) $-8-3+8-9$
m) $(-5)+(+5)-(-5)-(+5)$
n) $+3-(-1)-6+4$
o) $-8+(+2)+(-3)+(-4)$
p) $(-14)+5-9+1-6+5$
q) $3-8+6-4+0-(+8)$
r) $-3-(-6)-(+3)-8+6-(-8)-(-5)$
s) $(-2)+3+2-7-5-8-9-3+(+25)$

## Adding \& Subtracting |ntegers using BEDMAS <br> No Brackets ©NSN

1. Solve:
a) $-5-14+-5$
b) $+13-3-3$
c) $-4-6+6$
d) $5-8+2$
e) $-11-5+8$
f) $-2+8+5-6$
g) $-12-2-9-5$
h) $-3-8+10+4$
i) $-4-3-7-6$
j) $+4+9-5-1$
k) $-3-4-7-4$
1) $-8-5+8-9$
m) $-5+5+5+5$
n) $+6-2-7-6+4$
o) $-8-4-3+9$
p) $-14-7-9-1-4+5-4$
q) $-3-8-6-4-0-3+15$

## Factors (*NSN)

1. List each number's set of factors. You can use the rainbow method:
a) $6=$ $\qquad$
b) $10=$ $\qquad$
c) $12=$ $\qquad$
d $\quad 24=$ $\qquad$
e) $54=$ $\qquad$
f) $72=$ $\qquad$
g) $90=$ $\qquad$
h) $100=$ $\qquad$
2. Find all numbers, less than 15 , that have only a list of 6 factors:
3. List each number's set of factors. You can use the rainbow method:
a) $17=$ $\qquad$ b) $23=$ $\qquad$
c) $31=$ $\qquad$ d) $47=$

What do you notice about the factors of these numbers? How are they different from those listed in exercise \#1?

## Greatest Common Factor GCF (NSN

1. List all the factors of each set of numbers. Then, identify the GCF:
$\qquad$
a) 12 :
b) 24 :

16: $\qquad$
GCF of 12 and 16 : $\qquad$
c) 28 : $\qquad$

42: $\qquad$
GCF of 28 and 42 : $\qquad$
e) 12 : $\qquad$ f) 6 : $\qquad$

18: $\qquad$ 12: $\qquad$

20: $\qquad$
GCF of 12,18 and 20 : $\qquad$
24: $\qquad$
GCF of 6,12 and 24 : $\qquad$
g) 20 : $\qquad$
$28:$ $\qquad$
48: $\qquad$
72: $\qquad$
GCF of $20,28,48$ and 72 : $\qquad$

## Multiples (NSN)

1. List the first five multiples of each number:
a) 2 : $\qquad$
b) $\quad 9$ : $\qquad$
c) 6 : $\qquad$ d) 8 : $\qquad$
e) 3 : $\qquad$ f) 25 : $\qquad$
g) $\quad 13:$ $\qquad$
h) 7 : $\qquad$
i) $\quad 15$ : $\qquad$ j) 11 : $\qquad$
2. Circle the number(s) in the set which are multiples of the given number: *Don't forget to use the rules of divisibility ${ }^{* *}$ Calculator only to be used for questions i and j .

| a) | $(3,9,11,15,36,51,66,392,408,20,726)$ <br> b) <br> b) <br> c) <br> d |  |
| :--- | :--- | :--- |
| d) | 4 | $(25,20,25,35,50,58,90)$ |
| e) | 25 | $(12,16,28,40,50,60,108,244)$ |
| f) | 5 | $(50,75,175,400,455)$ |
| g) | 12 | $(0,24,38,42,48,60,78,96,104,108,120,121,144,146)$ |
| h) | 6 | $(3,9,12,16,18,40,42,66,70,72,82,84,100,102,108,468,472)$ |
| i) | 14 | $(28,56,74,80,94,140,280,294)$ |
| j) | 16 | $(32,64,132,160,164,204)$ |

3. List the factors and multiples of 12 :

Factors: $\qquad$

Multiples: $\qquad$
4. Apart from " 0 ", how many multiples do all numbers have? $\qquad$
5. True or False:
a) 6 is a multiple of 3 : $\qquad$ b) 12 is a multiple of 24 : $\qquad$ c) 10 is a factor and multiple of 10 : $\qquad$

## Lowest Common Multiple LCM(NSN)

1. List multiples of each number (about 5 for each to begin). Then, find the Lowest Common Multiple. *You may have to back to your lists to add more than 5 multiples for certain numbers in order to find the LCM.
a) 6: $\qquad$ LCM: $\qquad$
18: $\qquad$
b)
6: $\qquad$ LCM: $\qquad$
8: $\qquad$
c) 8 : $\qquad$ LCM: $\qquad$
12: $\qquad$
d) 6 : $\qquad$ LCM: $\qquad$
10: $\qquad$
e) $\quad 2$ : $\qquad$ LCM: $\qquad$
6: $\qquad$
12: $\qquad$
f) 3 : $\qquad$ LCM: $\qquad$
6: $\qquad$
11: $\qquad$
2. Three girls are waiting at the start line of the school track. At the whistle, the girls start walking. They are only allowed to stop walking when all three girls meet up again at the same area on the track, lined up again. It takes Abby 3 minutes to walk around the track, while it takes Debbie 4 minutes and Sarah 5 minutes. After how much time will all three girls stop walking?

## Converting Units of Measure (NSN)



1. Using the above chart, convert the units of measure for length/distance:
a) $568 \mathrm{~mm}=$ $\qquad$ m
b) $4458 \mathrm{~mm}=$ $\qquad$ cm
c) $0.95 \mathrm{~mm}=$ $\qquad$ cm
d) $\quad 1.45 \mathrm{~mm}=$ $\qquad$ dam
e) $5.6 \mathrm{~m}=$ $\qquad$ mm
f) $7 \mathrm{~km}=$ $\qquad$ m
g) $0.06 \mathrm{~km}=$ $\qquad$ cm
h) $3.04 \mathrm{hm}=\ldots \mathrm{dm}$
i) $0.005 \mathrm{dam}=$ $\qquad$ mm
k) $20 \mathrm{~m}=$ $\qquad$ cm
I) $20 \mathrm{~m}=$ $\qquad$ km
m) $0.004 \mathrm{dam}=$ $\qquad$ cm
n) $50000 \mathrm{~mm}=$ $\qquad$ m
o) $431560 \mathrm{~cm}=$ $\qquad$ km
p) $\quad 40.05 \mathrm{~cm}=$ $\qquad$ hm
q) $9.9 \mathrm{dam}=$ $\qquad$ hm
r) $30000000 \mathrm{~cm}=$ $\qquad$ m
s) $0.000002 \mathrm{dam}=$
$\qquad$ mm

2. Using the above chart, convert the units of measure for mass/weight:
a) $\quad 5 t=$ $\qquad$ kg
b) $\quad 7.4 \mathrm{~kg}=$ $\qquad$ mg
c) $\quad 1.4 \mathrm{~kg}=$ $\qquad$ mg
d) $\quad 0.007 \mathrm{t}=$ $\qquad$ kg
e) $43000000 \mathrm{mg}=$ $\qquad$ kg
f) $600000000 \mathrm{mg}=$ $\qquad$ t
g) $\quad 35000 \mathrm{~g}=$ $\qquad$ t
h) $\quad 6.43 \mathrm{~kg}=$ $\qquad$ mg
i) $\quad 0.007 \mathrm{~g}=$ $\qquad$ mg
j) $\quad 0.8 \mathrm{mg}=$ $\qquad$ kg

## Problem Solving Involving (Unit of Measure Conversions ©NSN

1. If Swiss cheese is sold at $\$ 15.50$ per kilogram, how much is it for 200 g ?
2. If grapes are sold at $\$ 3.99$ per kilogram, how much is it for 150 g ?
3. What is the best bargain? Option A: 400 g of Ham A for $\$ 5.00$

Option B: 0.3 kg of Ham B for $\$ 3.80$
4. Last night, Samantha walked 4.2 km and John walked 56000 cm .
a) Who walked more?
b) How much more?
5. Using the conversion chart on the right, determine the better bargain:

Lemonade Brand A: $\quad 0.003 \mathrm{~kL}$ for $\$ 4.99$
Lemonade Brand B: $\quad 9000 \mathrm{~mL}$ for $\$ 15.49$
$\overrightarrow{\times 1000} \times 1000$
$\mathrm{kL} \mathrm{L}_{\longleftarrow} \mathrm{mL}$
$\div 1000 \div 1000$

## Area vs. Perímeter (Measure)

1. Using the dots provided below, draw a figure with a PERIMETER of:
a) 10 units
b) 14 units
c) 20 units

2. Using the dots provided below, draw a figure with an AREA of:
a) 7 units $^{2}$
b) 6 units $^{2}$
c) 9 units $^{2}$

| $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ |
| $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ |
| $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ |
| $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ |
| $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ | $\bullet$ |


3. Using the dots provided below, draw a figure which satisfies all the stated conditions:


## Review ~ Area of Basic 2-D Polygons (Measure)

Area of a Square

$$
\mathrm{A}=\mathrm{BH}
$$

Area of a Rectangle


Area of a Triangle
$\mathrm{A}=\frac{\mathrm{BH}}{2} \quad$ and $/$ or $\mathrm{A}=\mathrm{BH} \div 2$


Area of a Parallelogram

$$
\mathrm{A}=\mathrm{BH}
$$



1. Find the area of each shape. Follow the method indicated in class notes. Form is important!

Steps: 1. State formula
2. Identify values to be substituted
3. Substitute values into formula
4. Calculate
5. Insert correct unit of measure
a)


c)

d)


2. Draw one parallelogram and one triangle, each having an area of $24 \mathrm{~cm}^{2}$. Clearly indicate dimensions on your shapes and include calculations to support your choices.

## Review - Area of Basic Shapes - Word Problems (Mesasur)

For each question, draw a corresponding diagram.
Then, find the answer using the correct form $\rightarrow$ 1) Identify Base \& Height on the diagram, 2) state the appropriate formula, 3) substitute values into formula, 4) perform calculations working downward and align equal signs on the left and 5 ) insert correct unit of measure.
a) Find the area of a square where each side is 19.72 cm .
b) An isosceles triangle has a 15 cm base and its height is 14 cm . What is the area of this triangle?
c) Which has the larger area? 1) A square where each side is 9 cm or 2) a rectangle whose dimensions are $12 \mathrm{~cm} \times 7 \mathrm{~cm}$ ?
d) A Canadian football field is roughly 110 meters long including end zones and 52 meters wide. What is the area of the field?
e) A flag has a 22 cm base and its height is 48 cm . What is the combined area of both sides?

## Area of a Trapezoid (:Measere)

1. Find the perimeter and the area of the following trapezoids:
a)

b)

c)

d)

2. 



18 m

## Area of Composite Shapes (:Measure)

1. EXPLAIN how you could calculate the area of the following regular hexagon in two different ways. Use a ruler to take the needed measurements. Round your measurements to the nearest tenths.

2. Calculate the area of the regular hexagon using two different methods. You will need to measure your needed dimension.

## Method 1

Method 2

## Area of Composite Figures -Mcesarre)

1. Calculate the area of the following composite figures:
a)

b)

c)

d)


## Area of Composite Figures ('Measure)

1. Calculate the area of the following shaded figures.
a)

b)

c)

d)

e)


## Converting Units of Measure of Area (NSN $\varepsilon *$ Measure $)$

1. a) What do you think the conversion is? $18 \mathrm{~m}^{2}=$ $\qquad$ $\mathrm{cm}^{2}$ ? Explain how you calculated your answer:
b) Calculate the area of the following figures, twice. Notice that these are congruent (exactly the same) parallelograms, but we used two different units of measure.
Area in meters:
Area in centimeters:

c) Now that you have done the calculation, was your calculation in a) correct? $\qquad$

## CONCLUSION: To convert units of measure of area, we must double what we would have

 done (or hopped) in the linear $/ 1^{\text {st }}$ dimension (see Worksheet 27)
d) Convert the following:

1) $6 m^{2}=$ $\qquad$ $\mathrm{cm}^{2}$
2) $1.7 \mathrm{~m}^{2}=$ $\qquad$ $\mathrm{mm}^{2}$
3) $44000000 \mathrm{~mm}^{2}=$ $\qquad$ $\mathrm{cm}^{2}$
4) $123000000000 \mathrm{~cm}^{2}=\ldots \quad \mathrm{km}^{2}$

## Converting Units of Measure of Area $\operatorname{NSN} \cdot$-Memener)



1. Using the above chart, convert the units of measure for area:
a) $568000 \mathrm{~mm}^{2}=$ $\qquad$ $m^{2} \quad$ b) $458000 \mathrm{~mm}^{2}=$ $\qquad$ $\mathrm{cm}^{2}$
c) $0.95 \mathrm{~cm}^{2}=$ $\qquad$ $\mathrm{mm}^{2}$
d) $145000 \mathrm{~mm}^{2}=$ $\qquad$ $\mathrm{dm}^{2}$
e) $5.6 \mathrm{~m}^{2}=$ $\qquad$ $\mathrm{mm}^{2}$
f) $7 \mathrm{~km}^{2}=$ $\qquad$ $m^{2}$
g) $0.06 \mathrm{~km}^{2}=$ $\qquad$ $\mathrm{cm}^{2}$
h) $304 \mathrm{hm}^{2}=$ $\qquad$ $\mathrm{dm}^{2}$
i) $0.005 \mathrm{dam}^{2}=$ $\qquad$ $m^{2}$
k) $20 \mathrm{~m}^{2}=$ $\qquad$ $\mathrm{cm}^{2}$
I) $50 \mathrm{~m}^{2}=$ $\qquad$ $\mathrm{km}^{2}$
m) $0.004 \mathrm{dam}^{2}=$ $\qquad$ $\mathrm{cm}^{2}$
n) $50000 \mathrm{~mm}^{2}=$ $\qquad$ $m^{2}$
o) $431560000 \mathrm{~cm}^{2}=$ $\qquad$ $\mathrm{km}^{2}$
p) $45000 \mathrm{~cm}^{2}=$ $\qquad$ $\mathrm{hm}^{2}$
q) $9.9 \mathrm{dam}^{2}=$ $\qquad$ $h^{2}{ }^{2}$
r) $30000000 \mathrm{~cm}^{2}=$ $\qquad$ $m^{2}$
s) $0.000000002 \mathrm{dam}^{2}=$ $\qquad$ $\mathrm{cm}^{2}$
2. Go back to Worksheet 34 and copy the correct answers for the area of the shapes in question 1 a) b) c) d). Then, convert each value to the indicated area unit of measure:
a) $\qquad$ $\mathrm{m}^{2} \rightarrow$ $\qquad$ $\mathrm{km}^{2}$
b) $\qquad$ $\mathrm{m}^{2} \rightarrow$ $\qquad$ $\mathrm{cm}^{2}$
c) $\qquad$ $\mathrm{cm}^{2} \rightarrow$ $\qquad$ $\mathrm{km}^{2}$
d) $\qquad$ $m^{2}$ $\qquad$ $\mathrm{mm}^{2}$
3. True or false? If false, make the correction.
a) 56.7 m is equal to 5670 cm : $\qquad$ b) $4.5 \mathrm{~cm}^{2}$ is equal to $0.0045 \mathrm{~m}^{2}$ : $\qquad$
c) $55000000 \mathrm{~mm}^{2}$ is equal to $55 \mathrm{~m}^{2}$ : $\qquad$ d) 3.06 km is equal to 30600 m : $\qquad$
e) $0.007 \mathrm{~m}^{2}$ is equal to $70 \mathrm{~cm}^{2}$ : $\qquad$ f) $0.000006 \mathrm{~km}^{2}$ is equal to $60000 \mathrm{~cm}^{2}$ : $\qquad$

## Evaluating Algebraic Expression Using Substitution ~ (*Patt\& Alg)

1. Evaluate each of the expression by substituting the given values. Don't forget to use BEDMAS!
a) $n+5+n$, if $n=4$
b) $(2 a)+(5-a)$, if $a=3$
c) $(b)(b)-2(b)$, if $b=5$
d) $(a+5) \div(a-5)$, if $a=6$
e) $m-(m-4)-m$, if $m=4$
f) $(c)(c)+(c \div 4)$, if $c=8$
g) $(y-15) \div(y \div 4)$, if $y=20$
h) $2(t-9)+7$, if $t=10$
i) $h+h+2 h$, if $h=2$
j) $(m)(m)-m+(m)(m)$, if $m=2$
k) $2 p-(5-p)-4$, if $p=4$
I) $(p)(p)-2 p$, if $p=2$
m) $(2 a+9-a) \div(a+1)$, if $a=3$
n) $(5 b-3 \cdot 5) \div(5+b \div 5)$, if $b=10$

## Algebraic Expressions/Equations \& Tables (festetemis $A$ Agbber)

1. a) Complete the tables for each corresponding algebraic equation. Don't forget to show your calculations.
b) Chart your result on the Cartesian Plane

| $y=x+4$ |  |
| :---: | :---: |
| $x$ | $y$ |
| 1 |  |
| 2 |  |
| 3 |  |
| 4 |  |
| 5 |  |



| $y=2 x+2$ |  |
| :---: | :---: |
| $x$ | $y$ |
| 1 |  |
| 2 |  |
| 3 |  |
| 4 |  |
| 5 |  |



| $y=3 x-2$ |  |
| :---: | :---: |
| $x$ | $y$ |
| 1 |  |
| 2 |  |
| 3 |  |
| 4 |  |
| 5 |  |



| $y=4 x-1$ |  |
| :---: | :---: |
| $x$ | $y$ |
| 1 |  |
| 2 |  |
| 3 |  |
| 4 |  |
| 5 |  |



## Algebraic Expressions (Pattemings Algbra)

1. Evaluate each expression for the given values of " $x$ ":
a) $3 x+3$, for the values of $x=1,2,3$ and 4 .

Include calculations below!

Answer: $\qquad$
b) $x \div 3$, for the values of $x=3,6,9$ and 12 .

Include calculations below!

Answer: $\qquad$
c) $\quad 15-2 x$, for the values of $x=1,3,5$ and 7 .

Include calculations below!

Answer: $\qquad$
d) $20+3 x-2$, for the values of $x=1,2,4,5$ and 7 .

Include calculations below!

Answer: $\qquad$
e) $\quad 5 x \div 5-2$, for the values of $x=2,3,4,8$ and 10 .

Include calculations below!

Answer: $\qquad$

## Algebraic Expressions/Linear Relationships ${ }^{\text {PPataring }} \mathrm{A}$ Agsber)

1. A taxicab has a base fare of $\$ 4$. Once rolling, it costs and extra $\$ 1.25$ per km rolled.
a) If a client rolls the following distances, what will the cost be?

- 6 km:
- 15 km:
b) Create an algebraic expression that calculates the amount owed by a client for any possible distance:
c) Complete the table below, (Cost to ride for $3 \mathrm{~km}, 5 \mathrm{~km}$, 10 km and 20km)

| Distance in <br> km | Cost \$ |
| :---: | :---: |
| 3 |  |
| 5 |  |
| 10 |  |
| 20 |  |

e) Using the chart, what would you estimate the cost would be for a distance of 40 km ?
f) Can you use your algebraic expression from question b) to find the cost for a distance of 40 km ?
d) Chart your results from c) in the table below:

Title: $\qquad$


## Algebraic Expressions/Linear Relationships ( 'Patanims $A$ Agbber)

1. A vehicle's value decreases as it ages. Car A is worth $\$ 20000$ brand new and then depreciates $\$$ 1200 each year thereafter.
a) What is Car A's value after:

- 3 years?
-7 years?
b) Create an algebraic expression that calculates Car A's value it terms of its age.
c) Complete the table below, (Value of Car A after \# of years)

| Age | Value \$ |
| :---: | :---: |
| 0 |  |
| 1 |  |
| 2 |  |
| 5 |  |
| 7 |  |

e) Using the chart, how old is the car when it is worth:

- \$ 8000 ?
- \$ 5000 ?
- \$ 2000 ?
f) Using the chart, when will the car be worthless?
d) Chart your results from c) in the table below:

Title: $\qquad$


## Linear Relationshíps (Pattemings Agscrar)

1. A car rolls at $60 \mathrm{~km} / \mathrm{h}$.

Chart the corresponding graph.

3. EBay charges $\$ 9$ per book and a shipping fee of $\$ 10$. Chart how much it would cost to purchase \& send up to 10 books?

2. A cashier earns $\$ 12.50 / \mathrm{h}$. Chart the salary grid.

4. The exchange rate \$1.20 Canadian Dollars to buy one American Dollar. Chart how much it would cost to buy anywhere from 1 to $\$ 10$ US Dollars.


## Finding the General Term/Alg Expression of a Sequence (Pattering \& Algebra)

1. Determine the General Term/Algebraic Expression of each sequence of numbers below:
a) $9,14,19,24,29, \ldots$

| $x$ | $y$ |
| :---: | :---: |
| Term \# | Term Value |
|  |  |
| 1 | 9 |
| 2 | 14 |
| 3 | 19 |
| 4 | 24 |
| 5 | 29 |

* Given that the pattern rule is $\qquad$ , in the general term.
** The " y " value for Term " 0 " is: $\qquad$

- the corresponding general term/expression is: $\qquad$ Tests: $\qquad$
$\qquad$
b) $14,16,18,20,22, \ldots .$.

| $x$ | $y$ |
| :---: | :---: |
| Term \# | Term Value |
|  |  |
| 1 | 14 |
| 2 | 16 |
| 3 | 18 |
| 4 | 20 |
| 5 | 22 |

* Given that the pattern rule is $\qquad$ , $\qquad$ " will appear in the general term.
** The " y " value for Term " 0 " is: $\qquad$

- the corresponding general term/expression is: $\qquad$
Tests: $\qquad$
$\qquad$
c) $2,6,10,14,16, \ldots$

| $x$ | $y$ |
| :---: | :---: |
| Term \# | Term Value |
|  |  |
| 1 | 2 |
| 2 | 6 |
| 3 | 10 |
| 4 | 14 |
| 5 | 18 |

* Given that the pattern rule is in the general term.
** The " y " value for Term " 0 " is: $\qquad$ , " " will appear
* The " $V$ " value for Term " 0 "

- the corresponding general term/expression is: $\qquad$ Tests: $\qquad$
$\qquad$
d) $4,13,22,31, \ldots$

| $x$ | $y$ |
| :---: | :---: |
| Term \# | Term Value |
|  |  |
| 1 |  |
| 2 |  |
| 3 |  |
| 4 |  |
| 5 |  |

* Given that the pattern rule is $\qquad$ , $\qquad$ " will appear in the general term.
** The " y " value for Term " 0 " is: $\qquad$

$\therefore$ the corresponding general term/expression is: $\qquad$

Tests: $\qquad$
$\qquad$

* Given that the pattern rule is $\qquad$ , " $"$ " will appear in the general term.
** The " y " value for Term " 0 " is: $\qquad$

- the corresponding general term/expression is: $\qquad$ Tests: $\qquad$
$\qquad$
* Given that the pattern rule is $\qquad$ , " $\qquad$ " will appear in the general term.
** The " y " value for Term " 0 " is: $\qquad$
f) $5,8,11,14, \ldots$

| $x$ | $y$ |
| :---: | :---: |
| Term \# | Term Value |
|  |  |
| 1 |  |
| 2 |  |
| 3 |  |
| 4 |  |
| 5 |  |



- the corresponding general term/expression is: $\qquad$
Tests: $\qquad$
$\qquad$


## Chartíng Sequences (Patteming \& Agcobra)

1. Using the following patterns, determine the General Term/Alg Exp, then chart the data.
a) $5,8,11,14, \ldots$

General Term/Alg Exp: $\qquad$
b) 88, 888888, 8888888888,...





General Term/Alg Exp: $\qquad$

## Finding the General Term/Alg Expression of a Sequence (Patterning\& Algebra)

1. What is the General Term/Algebraic Expression of the following sequences:



d) $10,20,30,40, \ldots$
e) "A sequence begins at 7 , then increases by 3 to find each next term".
f) "Start at 0 . Then, add 4 to find each subsequent term."

h) $\quad 5,16,27,38, \ldots$

## General Terms, Charts, Graphs, Descriptions (Patterning\& Algebra)

1. Using different colors (blue, red, green, yellow), match the sets that go together:

## General Terms

$$
2 x+4
$$

$4 x$
$3 x-1$

$$
x+3
$$

## Table of Values

| Term \# | Term <br> Value |
| :---: | :---: |
| 1 | 4 |
| 2 | 5 |
| 3 | 6 |
| 4 | 7 |
| 5 | 8 |


| Term \# | Term <br> Value |
| :---: | :---: |
| 1 | 6 |
| 2 | 8 |
| 3 | 10 |
| 4 | 12 |
| 5 | 14 |


| Term \# | Term <br> Value |
| :---: | :---: |
| 1 | 4 |
| 2 | 8 |
| 3 | 12 |
| 4 | 16 |
| 5 | 20 |


| Term \# | Term <br> Value |
| :---: | :---: |
| 1 | 2 |
| 2 | 5 |
| 3 | 8 |
| 4 | 11 |
| 5 | 14 |

## Graphs






## Description

- Start at 2, then increase by 3 to find the next term.
- A sequence starts at 4 then increases by 4 to find the next term.
- Start at 6, then add two to find the next term.
- A sequence is $4,5,6,7,8, \ldots$


## Circle Graphs ~ (DMP)

A Circle Graph (or Pie Graph) is used to show comparisons between each part of a whole amount. When building a circle graph, you need to how to turn a fraction into a percent (numerator $\div$ denominator $x$ 100). When performing calculations to build your circle graph, you will be rounding to the nearest percent and to the nearest degree.

## Month of September Spending

| Item | Amount | Fraction | Percent \% | Percent <br> Rounded | $\times 3.6$ | Degrees <br> (rounded) |
| :--- | :--- | :---: | :---: | :---: | :---: | :---: |
| Clothes | $\mathbf{\$ 6 0}$ | $\mathbf{6 0 / 1 3 5}$ |  |  |  |  |
| Video Games | $\$ 40$ | $/$ |  |  |  |  |
| Junk Food | $\$ 10$ | $/$ |  |  |  |  |
| Presents | $\$ 25$ | $/$ |  |  |  |  |

Total: \$135

## Legend

$\square$
$\square$


## Circle Graphs ~ (DMP)

You will be collecting data from the students in your class about their favorite color. Step 1: As a group, decide on 5-6 categories/choices of color. Write the choices in the ${ }^{\text {st }}$ column of the table below. Step 2: Record each students' favorite color in the "Tally" column. Use the " $H 1$ " method. Step 3: Calculate the frequency of each answer. For example, HH is a frequency of " 5 ". Step 4: Create a corresponding fraction for each color. Step 5: Calculate the corresponding percent and degrees for each color.

Favorite Color of Students in Class $\qquad$

| Color | Tally | Frequency | Fraction | Percent \% | X 3.6 | Degrees |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
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|  |  |  |  |  |  |  |

Total: $\qquad$

## Legend



## The Bar Graph - (DMP)

* A Bar Graph uses CATERGORIES on the horizontal ( x -axis) and HAS SPACES between the vertical bars*

Using the data you collected on your classmates' favorite colors (worksheet 49), build a Bar Graph.
Hints: - Your bars must be of equal width and must have consistent space between bars (see bar graph on worksheet 53 titled "Tardiness in Class A".

- Place the Categories of Color on the $X$ - axis and the Frequency of each color on the $Y$-axis.
- You must have a main title, and sub titles on the X -axis (horizontal) and the Y -axis (vertical).
- Your y axis must be consistently graduated (numbered) and you bars must be equally spaced on the $x$-axis.
- You must use a ruler to construct your bars. Your graph must be neat \& tidy!



## The Histogram - (DMP)

* A Histogram uses INTERVALS on the horizontal (x-axis) and has NO SPACES between the vertical bars*

Here is the data regarding the amount of time grade 9 students spent studying for their final exam:
1.5 hours, 2.5 hours, 0.5 hours, 0 hour, 4.75 hours, 5.5 hours, 2.25 hours, 1.5 hours, 2.75 hours, 0.75 hours, 0.25 hours, 1.5 hours, 2.5 hours, 3.75 hours, 4.5 hours, 5.75 hours, 3.5 hours, 2.25 hours, 2 hours, 1 hour, 3.25 hours, 4 hours, 5.5 hours, 3.75 hours, 3.25 hours, 2.5 hours, 1.75 hours, 0.5 hour, 5.25 hours, 3.5 hour, 2.25 hours, 3.75 hours.

Assignment: Place the values in a frequency chart then build a Histogram.

| Interval of Time | Tally | Frequency |
| :--- | :--- | :--- |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |



## The Broken Line Graph - (DMP)

* A Broken Line Graph is used to represent data that changes over time *

Here is the data that indicates how much it costs, in Canadian dollars, to buy one American Dollar from Jan 2014 to Dec 2014. The values indicated are average monthly amounts.

| Jan | Feb | Mar | Apr | May | June | July | Aug | Sept | Oct | Nov | Dec |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\$ 1.12$ | $\$ 1.10$ | $\$ 1.10$ | $\$ 1.09$ | $\$ 1.08$ | $\$ 1.07$ | $\$ 1.09$ | $\$ 1.08$ | $\$ 1.12$ | $\$ 1.13$ | $\$ 1.14$ | $\$ 1.15$ |

Build a Broken Line Graph to represent the data.
Hints: - The "Months" are to be located on the X-axis (horizontal).

- The "Cost" is to be located on the $Y$-axis (vertical).
- Both the $X$ and $Y$ axis need to be consistently graduated.
- You need a main title and tiles for both the $X$ and $Y$ axis.
- Your points need to be joined by (broken) lines. Use a ruler.


Questions: a) What is the data's range? $\qquad$
b) As a Canadian, which month would be the best to go shopping in the US? Why?

## Reading Graphs - (DMP)

1. Answer the following questions below, using the information in the Bar Graph.

a) How many students were included in the survey: $\qquad$
b) What percentage of students were late three times? $\qquad$
c) What percentage of students were late one or two times? $\qquad$
d) Calculate the 3Ms. Show your work for median and mean.

Mean:
Median:
Mode: $\qquad$

## Reading Graphs - (DMP)

1. Answer the following questions below. Use the information in the Histogram.

a) How many students were included in the survey (Hint: Write the number of students included in each bar and then find the sum of all the values inside the bars): $\qquad$
b) For each interval, indicate the "mean value". This is what you will be using as data for each student's individual result (each student's best estimated mark).

40-50 interval: $\qquad$
50-60 interval: $\qquad$
60-70 interval: $\qquad$

70-80 interval: $\qquad$
80-90 interval: $\qquad$
90-100 interval: $\qquad$
c) Make an ordered list indicating each students' mark (best estimation):
d) Using the above list, find the 3 Ms :

Mode: $\qquad$ Median: $\qquad$ Mean (show work): $\qquad$

## Reading Graphs Graphs ~ (DMP)

1. This stem \& leaf plot shows the number of frost-free days in 20 Canadian cities.

| Frost Free Days |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
| 11 | 2 | 5 | 7 |  |  |
| 12 | 1 | 3 | 6 | 8 |  |
| 13 | 1 | 5 | 7 | 9 | 9 |
| 14 | 7 | 8 | 9 |  |  |
| 15 | 1 | 1 | 5 | 6 | 7 |

a) Find the Mean, Median and Mode of the data. Show your work/calculations.
b) What is the range of data? $\qquad$ c) How many cities have more than 155 frost-free days? $\qquad$
2. The BAR GRAPH below shows the number of players allowed to play each sport at one time.

a) What is the difference between Rugby and Basketball players? $\qquad$
b) Order the sports from the greatest to least amount of players:
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
c) Suppose we doubled the Field Hockey players and tripled the Baseball players. What would be the difference in the amount of players between each team?

## Reading Graphs - (DMP)



1. What is the total amount of snowfall in these five cities? $\qquad$
2. What percentage of the total snowfall does Toronto receive? $\qquad$
3. What is the mean amount of snowfall received by these five cities? $\qquad$

4. How much did Judy spend between the months of April and October (inclusively)? $\qquad$
5. What is Judy's mean monthly spending? $\qquad$
6. What is Judy's median monthly spending? $\qquad$
7. If we remove the first and the last month, by how much is the mean monthly spending affected? Show calculations below:

# Graph $\mid$ nterpretation - (DMP) 

ICE CREAM CONES SOLD (JULY 1 to JULY 7)


The PICTOGRAPH above shows the number of ice cream cones sold in a one week period in July. Using this graph, answer the questions below.
a) During the given week, how many ice cream cones were sold $\qquad$
b) What was the best day of sales and what are possible reasons of this occurrence?
$\qquad$
$\qquad$
c) July $6^{\text {th }}$ sales amounted to what fractions of the week's sales? $\qquad$
d) July $4^{\text {th }}$ sales amounted to what percent of the week's sales? $\qquad$
e) What is the difference in sales between July $7^{\text {th }}$ and $1^{\text {stt }}$ ? $\qquad$
f) Why do you think sales were so poor on July $3^{\text {rd }}$ and $4^{\text {th }}$ ?
g) What is the total number of cones sold on July $5^{\text {th }}$ and $6^{\text {th }}$ ? $\qquad$
h) What percentage of cones were sold on July $5^{\text {th }}$ and $6^{\text {th }}$ ? $\qquad$
i) What percentage of cones were sold on July $2^{\text {nd }}$ ? $\qquad$

## Representing Data (DMP)

Go to the following website: http://www.theweathernetwork.com/weather/historical-weather/caon0512
In the table below, record the "Max Temp" (maximum temperature) for Ottawa for the past month of November. Round the temperatures to the nearest degree Celcius.

| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |


| 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 | 24 | 25 | 26 | 27 | 28 | 29 | 30 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

Chart the above data using 3 different types of graphs. * It is important to first check in with your teacher to determine which (and why) certain graphs are to be used *



| $\&$ |  |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |$|$

## Graph Interpretation (DMP)

## OTTAWA'S TEMPERATURE

OVER A ONE-WEEK PERIOD
July 2 to 9, 2014


VANCOUVER'S TEMPERATURE OVER A ONE-WEEK PERIOD

July 2 to 9, 2014
Temperature (in ${ }^{0}$ Celcius)


These two broken line graphs compare the recorded temperatures from July 2 to 9, 2014 for Ottawa and Vancouver.
a) Which city do you think has the bigger temperature increase? $\qquad$
b) What was Ottawa's temperature on Day 7? $\qquad$
What was Ottawa's temperature on Day 1? $\qquad$
What is the difference in temperature between Day 7 and Day 1 in Ottawa? $\qquad$
c) What was Vancouver's temperature on Day 7? $\qquad$
What was Vancouver's temperature on Day 1? $\qquad$
What is the difference in temperature between Day 7 and Day 1 in Vancouver? $\qquad$
d) Taking a closer look at answers in b) and c), which city has the bigger temperature increase?
e) People's answer in question a) will often be incorrect. Why do you think this happens?
$\qquad$

## Possible Outcomes of Events (DMP)

1. List the possible outcomes of:
a) A die-roll: $\qquad$
b) Guessing the suit of a card picked from a full deck: $\qquad$
c) The sum of the numbers indicated on the faces of a 2-die roll: $\qquad$
d) Randomly picking a number from one to ten: $\qquad$
e) The gender of a baby at birth: $\qquad$
f) A person's natural hair color: $\qquad$
2. Draw a tree diagram that represents all the possible outcomes of the following events:
a) Having 3 kids
b) Rolling a die twice
c) Spinning the spinner twice

d) Spinning the spinner three times

## Possible Outcomes of Events (DMP)

1. Draw a tree diagram that represents all the possible outcomes of the following events:
a) Picking the blue marble from a bag containing a red, blue, green and yellow marble AND using the spinner on the right.

b) Flipping a coin and rolling a die.
c) Using the spinner on the right and rolling a die.


## Calculating the Theoretical Probability of Events (DMP)

1. Using the corrected information from worksheet 62, calculate the probability of (fraction AND percent answers):
a) Rolling a " 2 " in a die-roll: $\qquad$
b) Rolling an odd number in a die-roll: $\qquad$
c) Picking a "heart" from a full deck of cards: $\qquad$
d) Not picking a "diamond" from a full deck of cards: $\qquad$
e) Picking a 3,4,5 or 6 from cards numbered $1,2,3,4,5,6,7,8,9,10$ : $\qquad$
f) Picking a prime number from cards numbered $1,2,3,4,5,6,7,8,9,10$ : $\qquad$
g) Having a girl as a first-born: $\qquad$
2. Using the corrected information from worksheet 62, calculate the probability of (fraction AND percent answers):
a) Having two girls and one boy: $\qquad$
b) Having three boys: $\qquad$
c) Rolling two 2's in a two die roll: $\qquad$
d) Rolling a 0 and a 4 in a two die-roll: $\qquad$
e) Rolling a sum of " 3 " in a two die-roll: $\qquad$
f) Getting white twice and black once when spinning this spinner 3 times:

g) Getting black three times when spinning this spinner 3 times:

h) Getting white four times when spinning this spinner 4 times:


## Comparing Theoretical and Experimental Probability - (DMP)

1. What is the Theoretical Probability of rolling any given number in a die roll: $\qquad$
2. Using a die, record the results in 40 rolls of a die.

| Roll <br> $\#$ | Result | Roll <br> $\#$ | Result | Roll <br> $\#$ | Result | Roll <br> $\#$ | Result |
| :---: | :---: | :---: | :--- | :---: | :--- | :---: | :---: |
| 1 |  | 11 |  | 21 |  | 31 |  |
| 2 |  | 12 |  | 22 |  | 32 |  |
| 3 |  | 13 |  | 23 |  | 33 |  |
| 4 |  | 14 |  | 24 |  | 34 |  |
| 5 |  | 15 |  | 25 |  | 35 |  |
| 6 |  | 16 |  | 26 |  | 36 |  |
| 7 |  | 17 |  | 27 |  | 37 |  |
| 8 |  | 18 |  | 28 |  | 38 |  |
| 9 |  | 19 |  | 29 |  | 39 |  |
| 10 |  | 20 |  | 30 |  | 40 |  |


| Number <br> Rolled | Tally | Frequency |
| :---: | :--- | :--- |
| 1 |  |  |
| 2 |  |  |
| 3 |  |  |
| 4 |  |  |
| 5 |  |  |
| 6 |  |  |

a) Using the data from your tables, calculate the Experimental Probability of:

Rolling a "1": $\qquad$

Rolling a " 3 ": $\qquad$

Rolling a "5": $\qquad$

Rolling a "2": $\qquad$

Rolling a "4": $\qquad$

Rolling a " 6 ": $\qquad$
3. Are your results for the Theoretical and Experimental Probability the same? If your results are different, explain why you think this happened.
$\qquad$
$\qquad$
$\qquad$

## Comparing Theoretical and Experimental Probability - (DMP)

1. Fill in the following table for the sums of a 2 dice-roll. Then, calculate the Theoretical Probability for the following events (Answer expressed in \%):

| Sum <br> + | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ | $\mathbf{6}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |
| 6 |  |  |  |  |  |  |

Sum of "2": $\qquad$
Sum of "5": $\qquad$

Sum of " 8 ": $\qquad$

Sum of "11": $\qquad$

Sum of "3": $\qquad$

Sum of " 6 ": $\qquad$

Sum of "9": $\qquad$ Sum of "12": $\qquad$
2. Using 2 dice, record the results of twenty 2-dice rolls. Then, calculate the Experimental Probability of:

| Roll <br> $\#$ | Sum | Roll <br> $\#$ | Sum |
| :---: | :---: | :---: | :---: |
| 1 |  | 11 |  |
| 2 |  | 12 |  |
| 3 |  | 13 |  |
| 4 |  | 14 |  |
| 5 |  | 15 |  |
| 6 |  | 16 |  |
| 7 |  | 17 |  |
| 8 |  | 18 |  |
| 9 |  | 19 |  |
| 10 |  | 20 |  |


| Sum <br> Rolled | Tally | Frequency |
| :---: | :---: | :---: |
| 2 |  |  |
| 3 |  |  |
| 4 |  |  |
| 5 |  |  |
| 6 |  |  |
| 7 |  |  |
| 8 |  |  |
| 9 |  |  |
| 10 |  |  |
| 11 |  |  |
| 12 |  |  |

Explain why the Theoretical and Experimental Probability Results differ:
i) Sum of " 10 ": $\qquad$
j) Sum of " 11 ": $\qquad$
k) Sum of " 12 ": $\qquad$

## Making Predictions from a Given Probability ~ (DMP)

1. If you were to flip a coin 180 times, how many times would you predict it would land on "heads"? Explain your reasoning.
2. If a die was rolled 36 times, how many times would you predict the number 5 would appear? Explain your reasoning.
3. If you were to spin this spinner 84 times, how many times would you predict it would land on white? Explain your reasoning.

4. If you were to spin this spinner 66 times, how many times would you predict it would land on either black or grey? Explain your reasoning.

5. If you were to randomly draw a card from a full deck 100 times, how many times would you predict you would pick a "diamond"? Explain your reasoning.
6. The probability of picking a blue marble out of a bag is $20 \%$. If you were to randomly pick a marble from this bag 20 times, how many times do you predict you would pick a blue marble? Explain your reasoning.
7. The probability of winning the lotto 6/49 Jackpot is $0.000007 \%$ each time/draw. If you played 100 times in your life, how many times do you predict you would win?
